

# Results from the ${}^6\text{He}(p,p\alpha){}^2n$ reaction



TECHNISCHE  
UNIVERSITÄT  
DARMSTADT

Meytal Duer

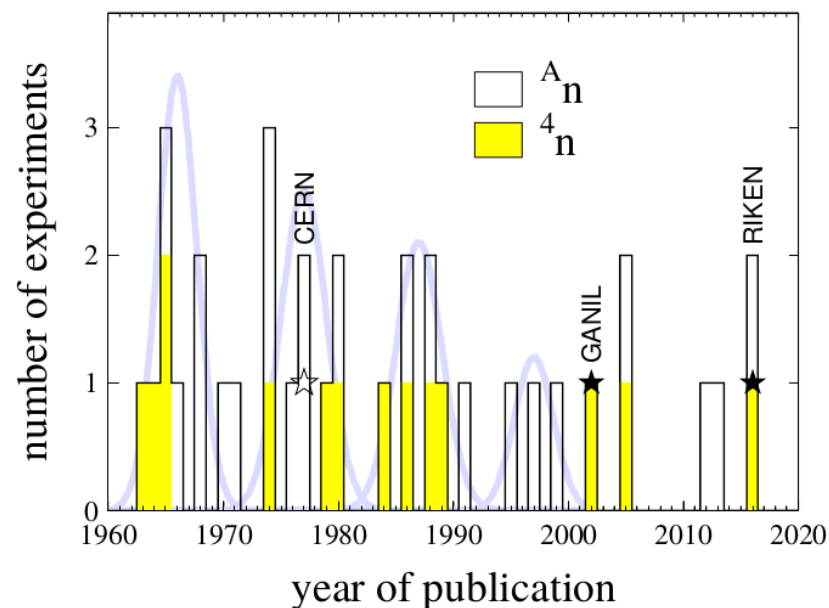
March 24<sup>th</sup>, 2021

SFB Workshop



Goal: Search for a tetraneutron state  
(resonant / bound)

A sixty-year quest



★ possible  $4_n$  candidates

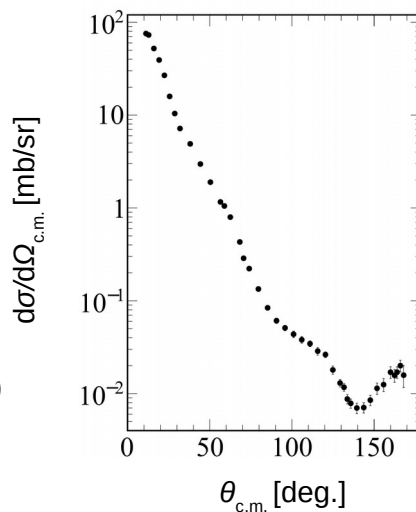
Goal: Search for a tetraneutron state  
(resonant / bound)

Measurement:

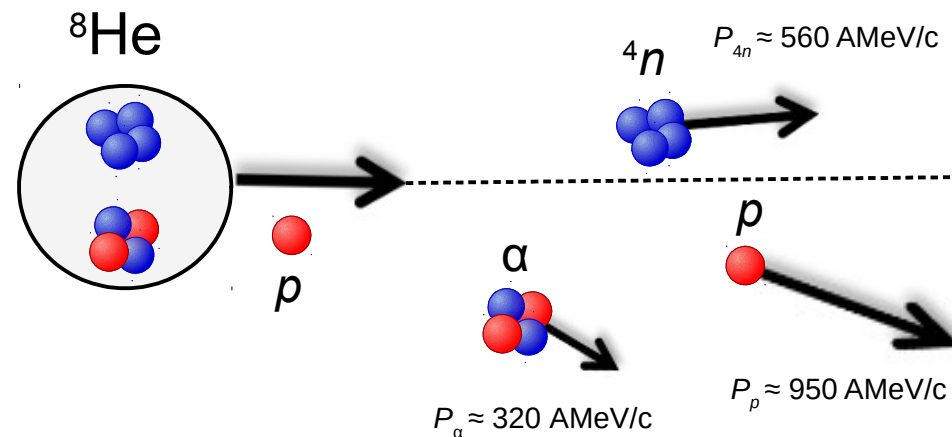
Quasi-free  ${}^8\text{He}(p,p\alpha){}^4n$  knockout at 156 AMeV

- Large momentum transfer,  $\sim 180^\circ$  in c.m. system

Measured  $p$ - $\alpha$  elastic  
cross-section @ 156 MeV



V. Comparat et al., PRC (1975)

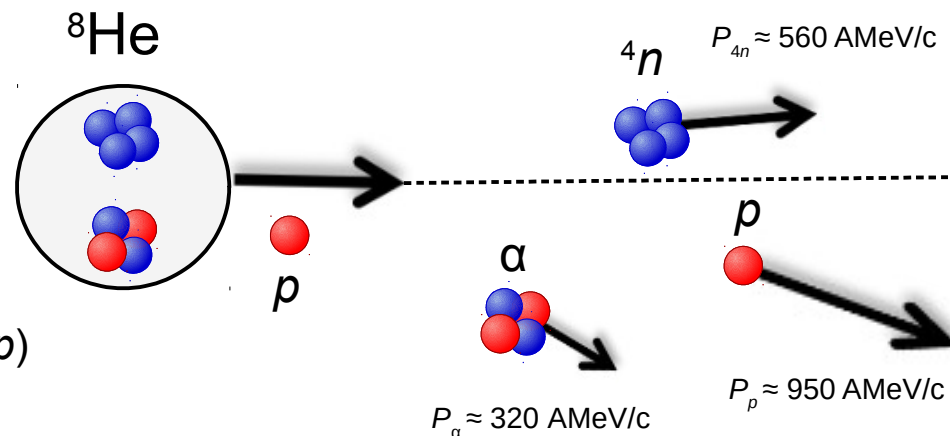


Goal: Search for a tetraneutron state  
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Measurement:

Quasi-free  ${}^8\text{He}(p,p\alpha){}^4n$  knockout at 156 AMeV

- Large momentum transfer,  $\sim 180^\circ$  in c.m. system
  - ${}^4n$  energy spectrum via missing-mass technique
- Precise measurement of **charged particles** ( ${}^8\text{He}, \alpha, p$ )

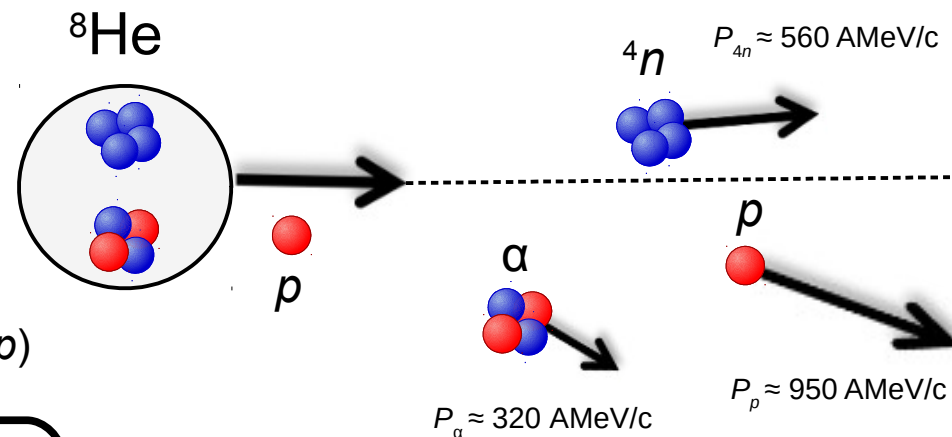


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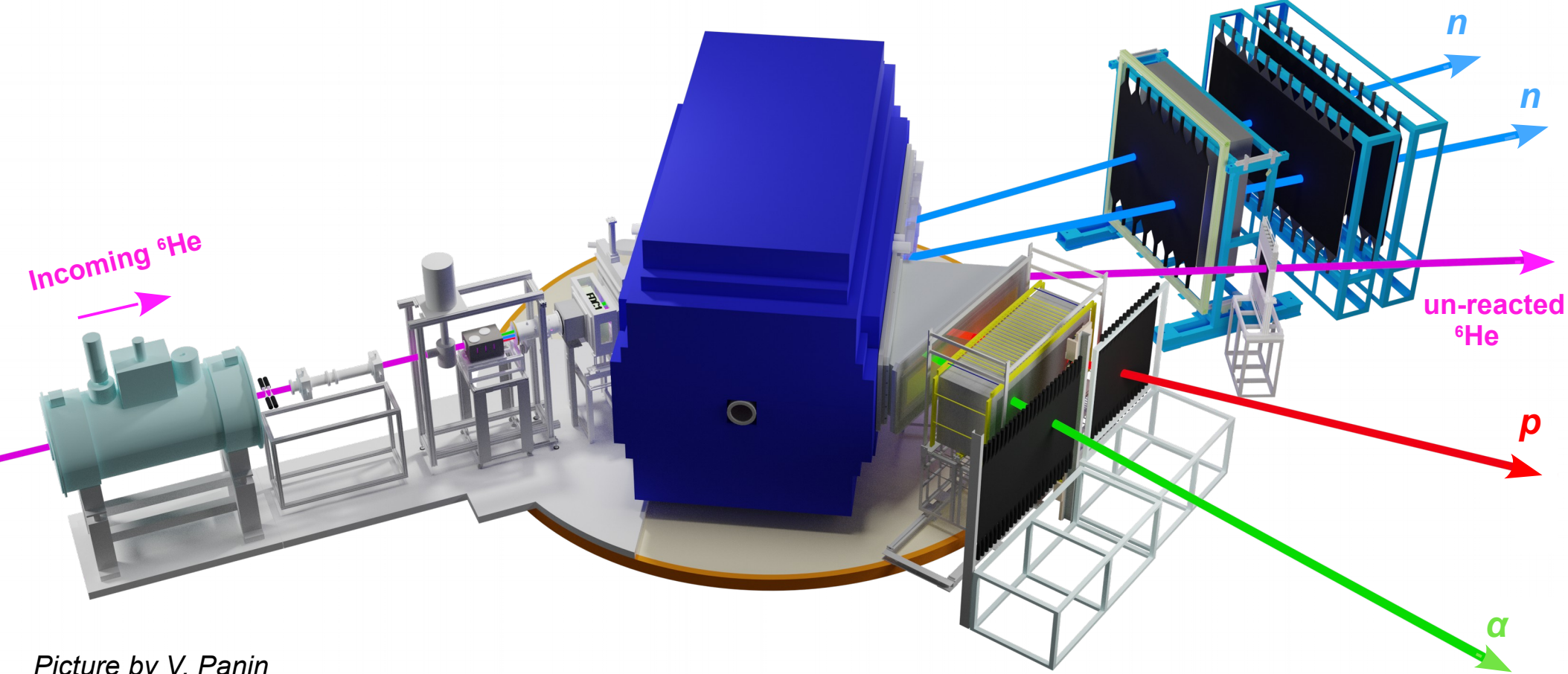
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  - ${}^4n$  energy spectrum via missing-mass technique
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Benchmark measurement:  ${}^6\text{He}(p,\alpha){}^2n$  reaction

→ Expected to be well described by theory

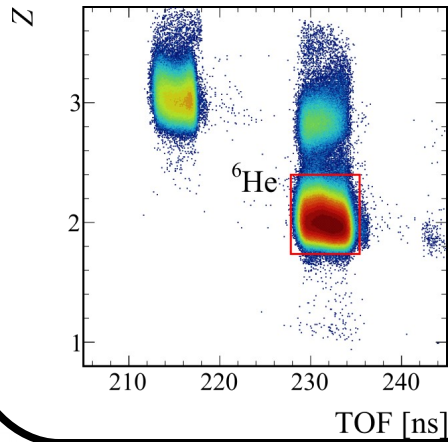
# Experimental Setup



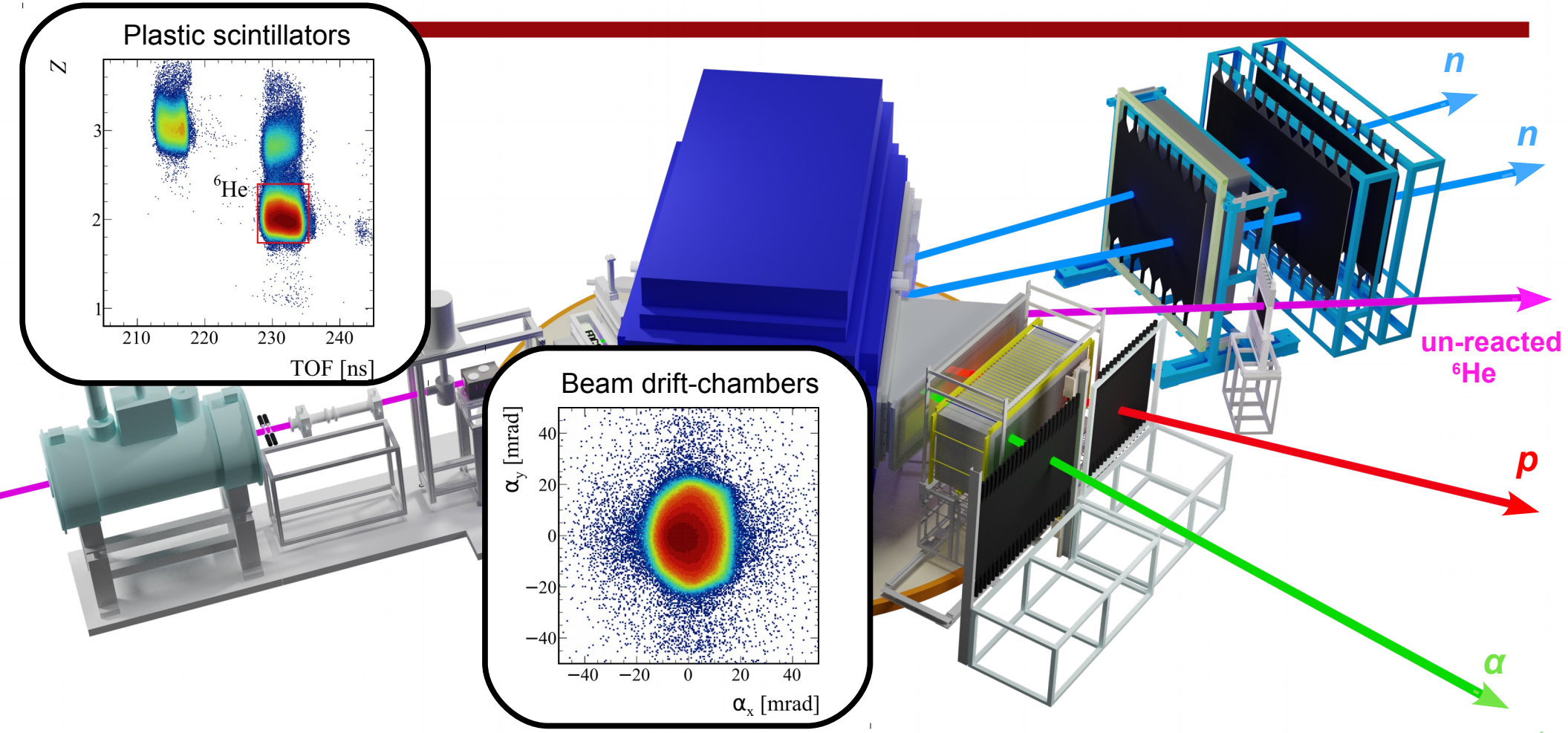
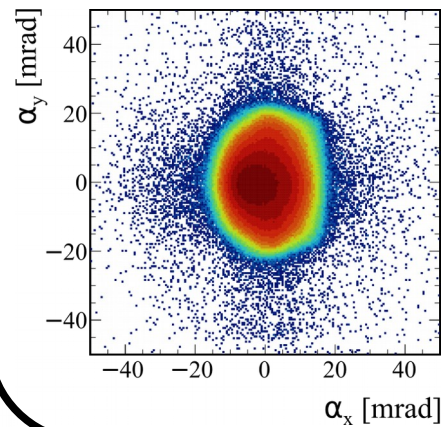
Picture by V. Panin

# Incoming PID and Tracking

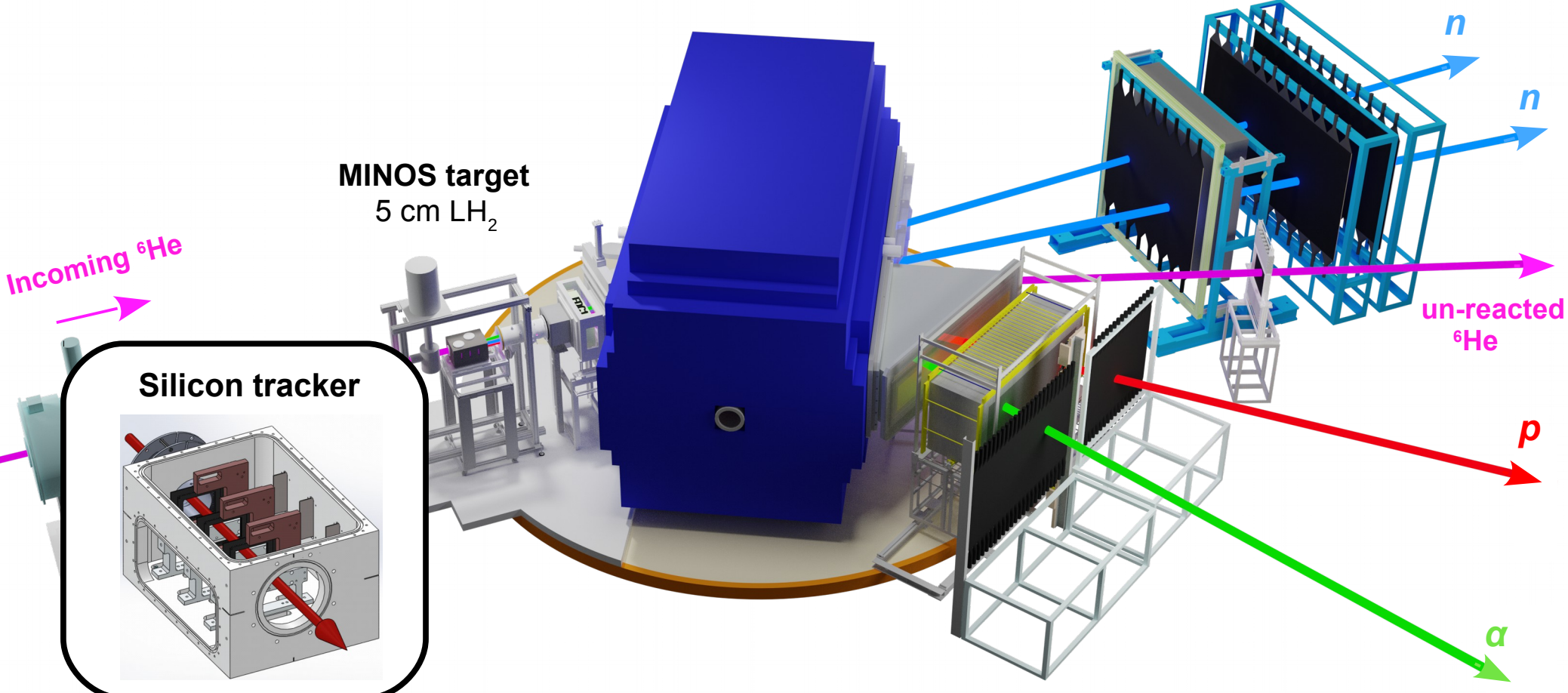
Plastic scintillators



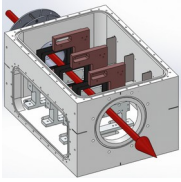
Beam drift-chambers



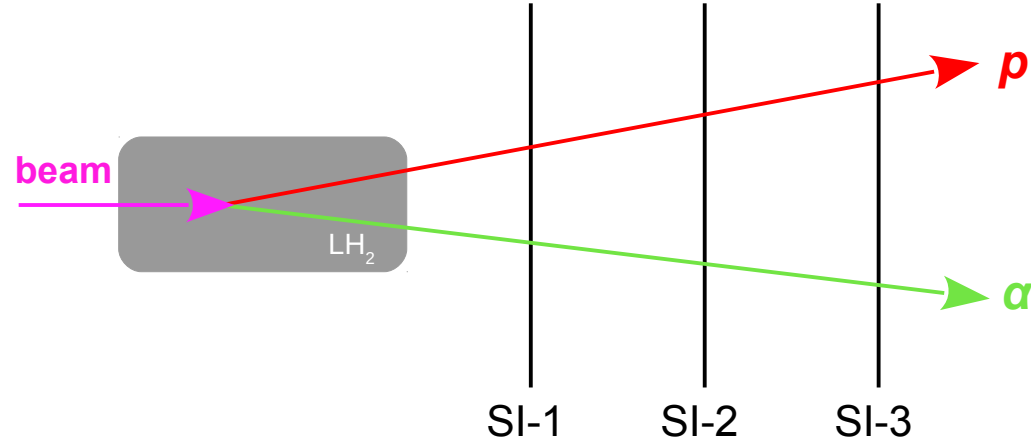
# Experimental Setup





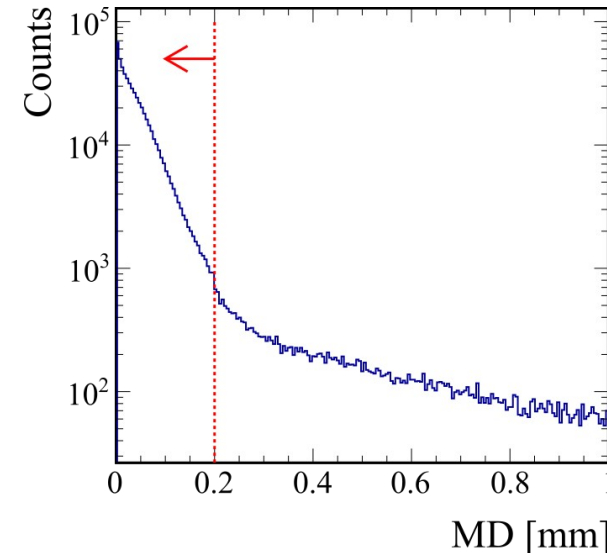


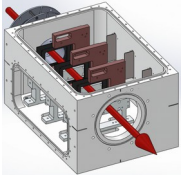
# A dedicated silicon tracker



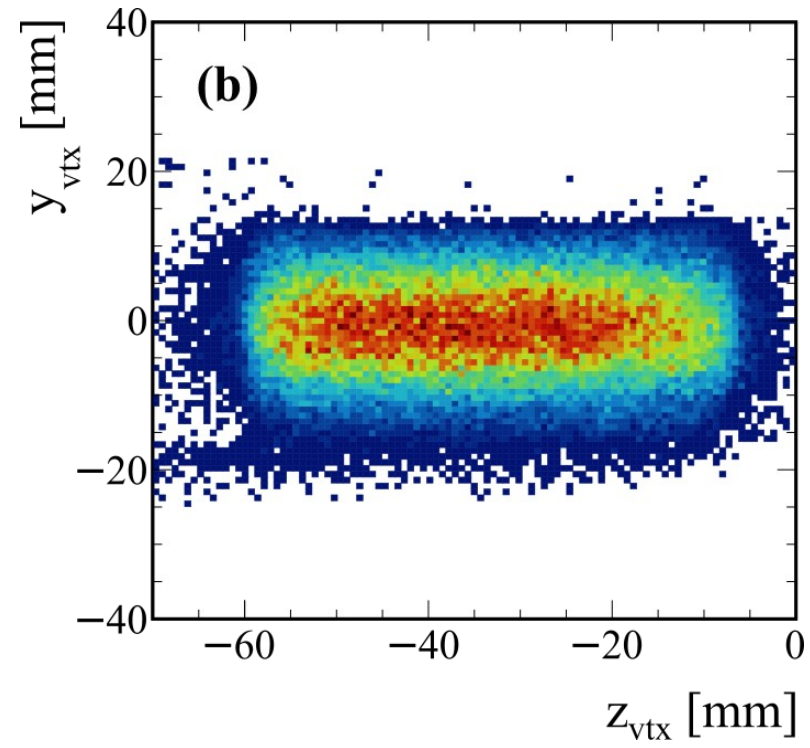
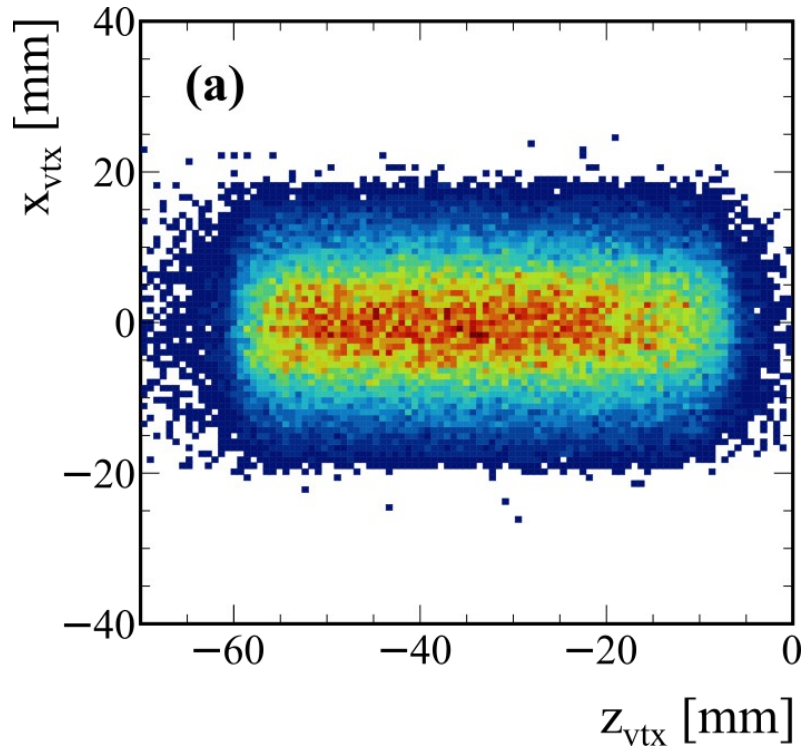
- Tracking before the SAMURAI magnet
- Energy-loss measurement (very different for fast  $p$  and slow  $\alpha$ )
- Vertex reconstruction: minimum-distance approach

- 3 SI-detector modules with X and Y readout
- Separated by 12 cm
- 8 x 5 cm, 100  $\mu\text{m}$  strips
- Distance between target and 1<sup>st</sup> detector  $\sim$  6 mm



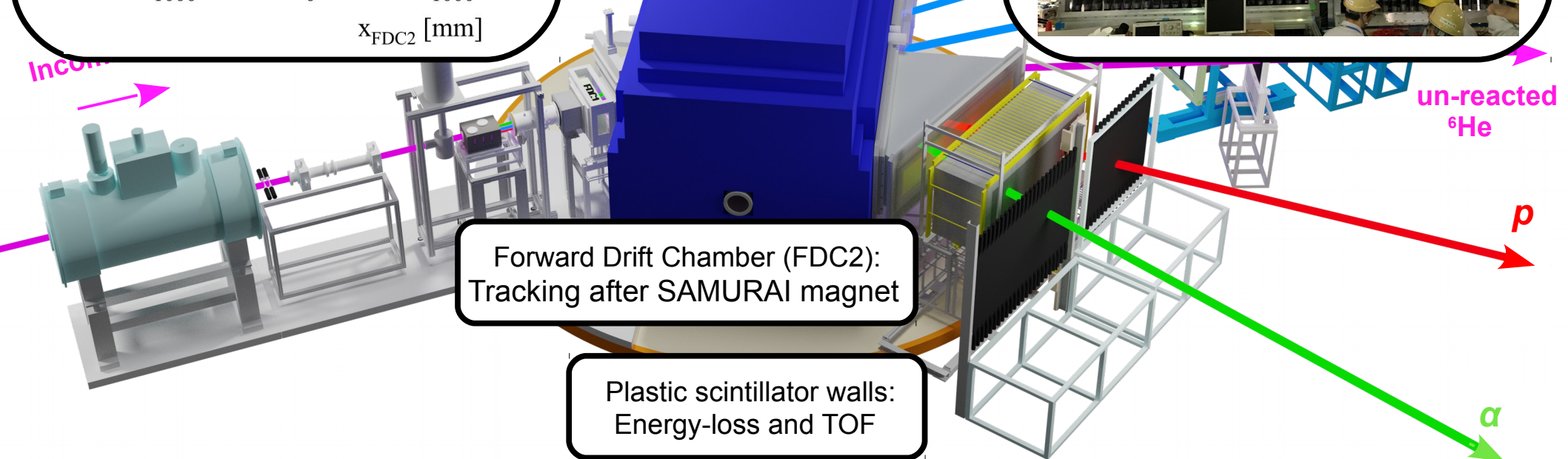
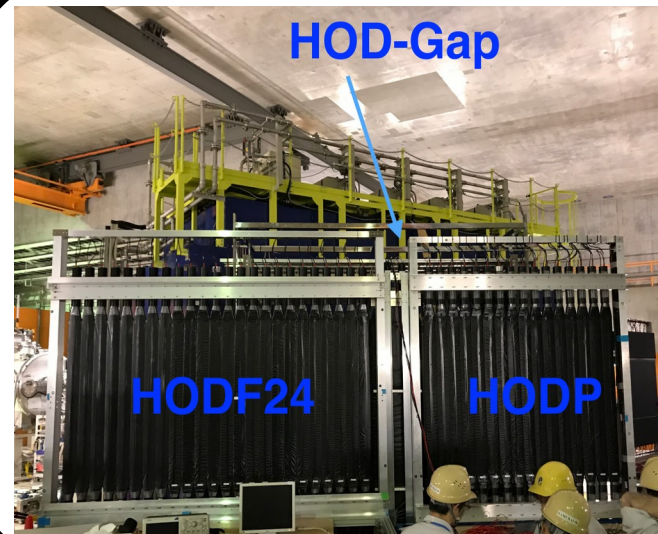
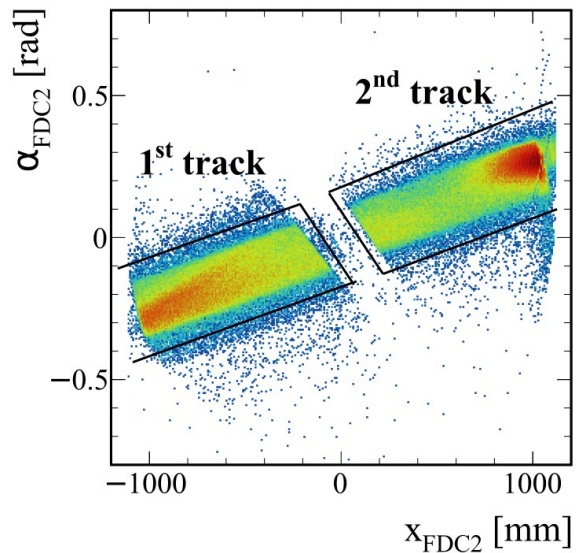


# Vertex Reconstruction



\* Vertex resolution of  $\sim 1$  mm

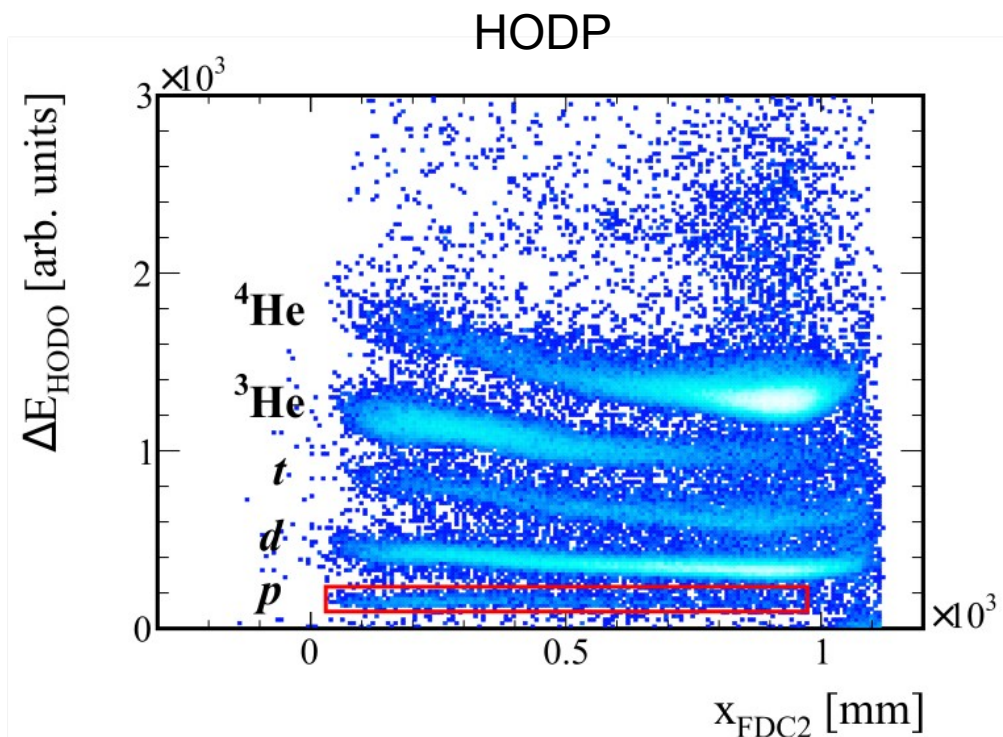
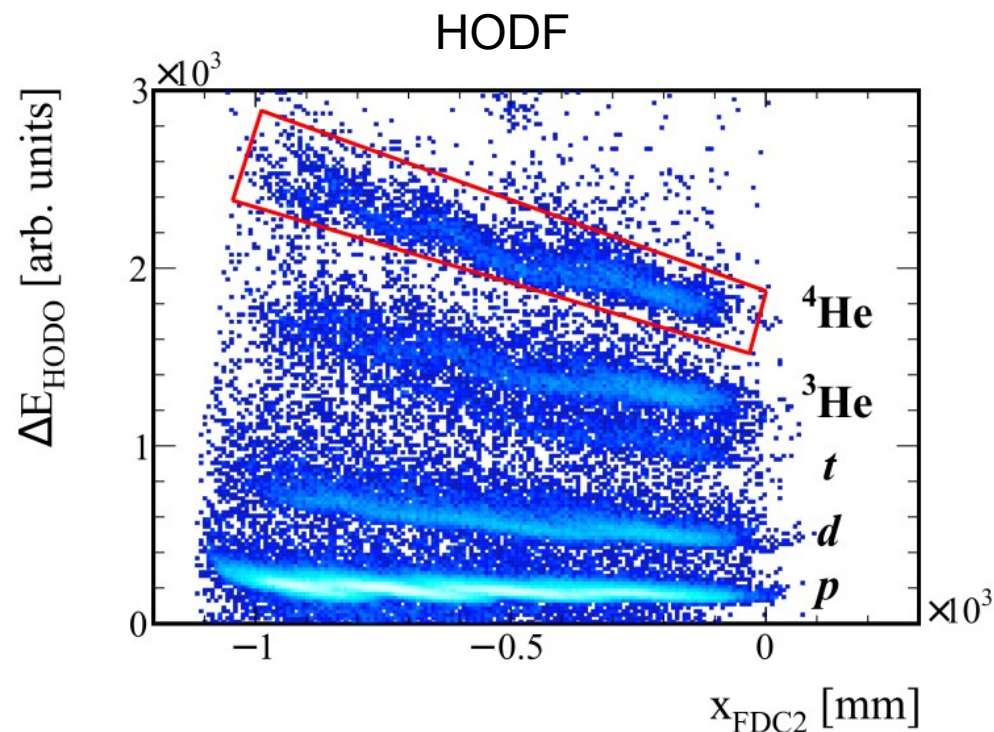
# Focal Plane



Forward Drift Chamber (FDC2):  
Tracking after SAMURAI magnet

Plastic scintillator walls:  
Energy-loss and TOF

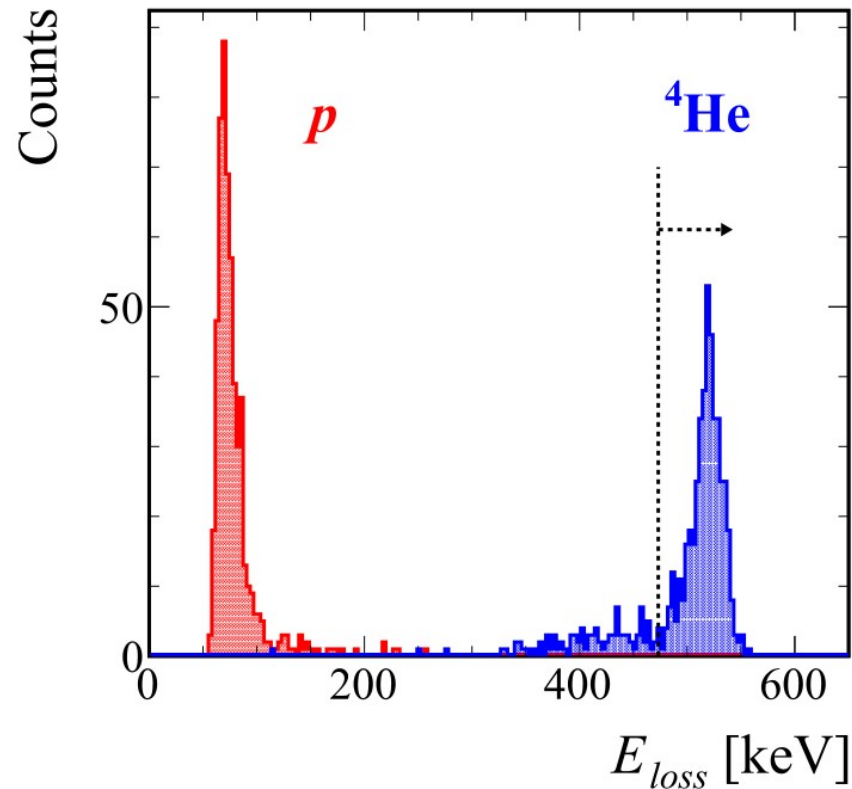
# Fragments Identification



\*  ${}^8\text{He}$ :  $\sim 1/2$  of the runs do not include TOF from HODOs

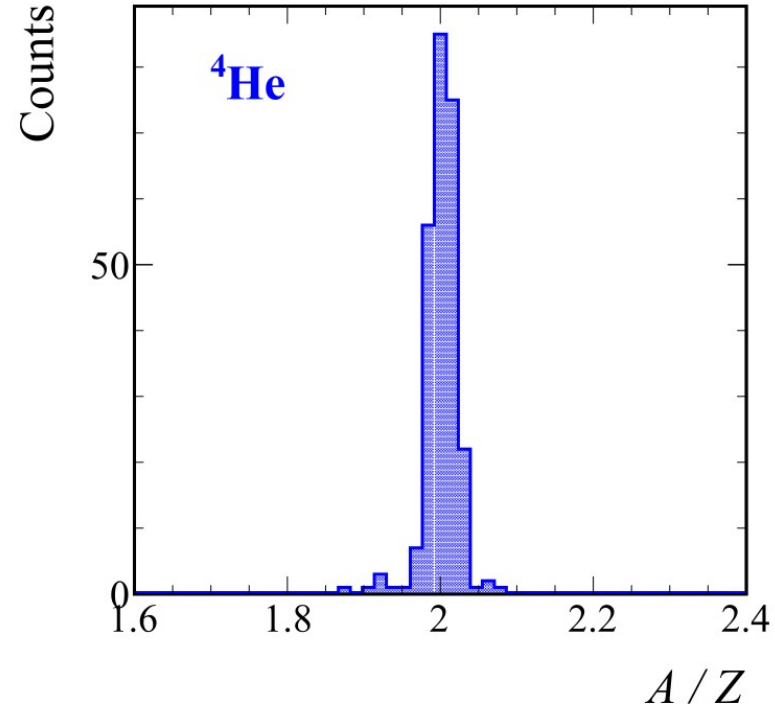
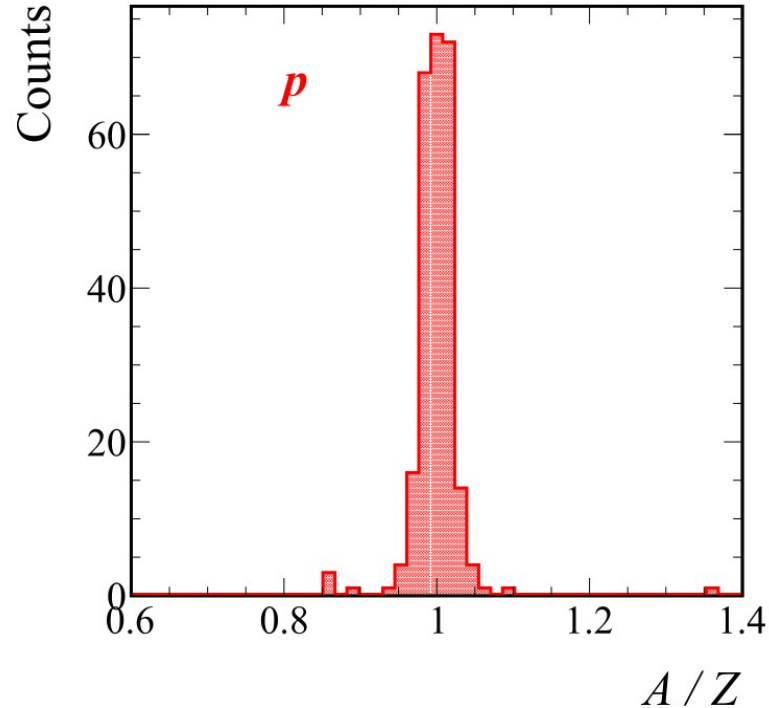
# Fragments Identification

Energy-loss in silicon detectors for selected  $p$ - $\alpha$



# Fragments Identification

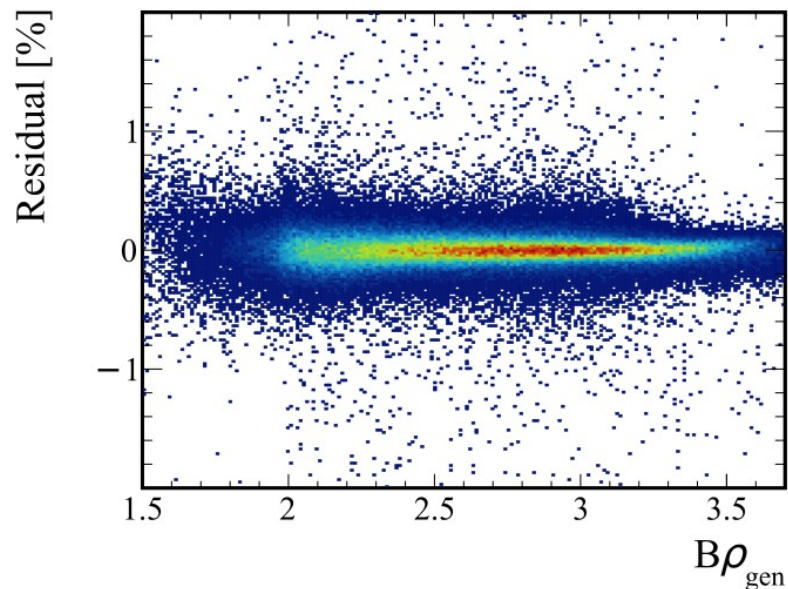
## Sanity check: Extracting $A/Z$ ratios



# Fragments Momentum

Multi-Dimensional Fit

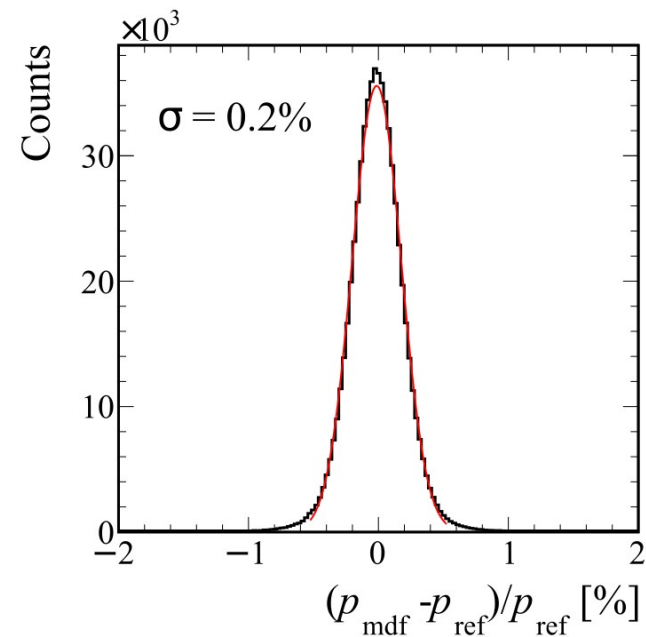
$$B\rho = f(x_{SI}, y_{SI}, \alpha_{x,SI}, \alpha_{y,SI}, x_{FDC2}, \alpha_{FDC2})$$



$$B\rho = P/Z$$

Validate with data:

Proton beam @ 596 MeV/c



# Quasi-Free ${}^6\text{He}(p,p\alpha)$ events

Energy-momentum conservation:

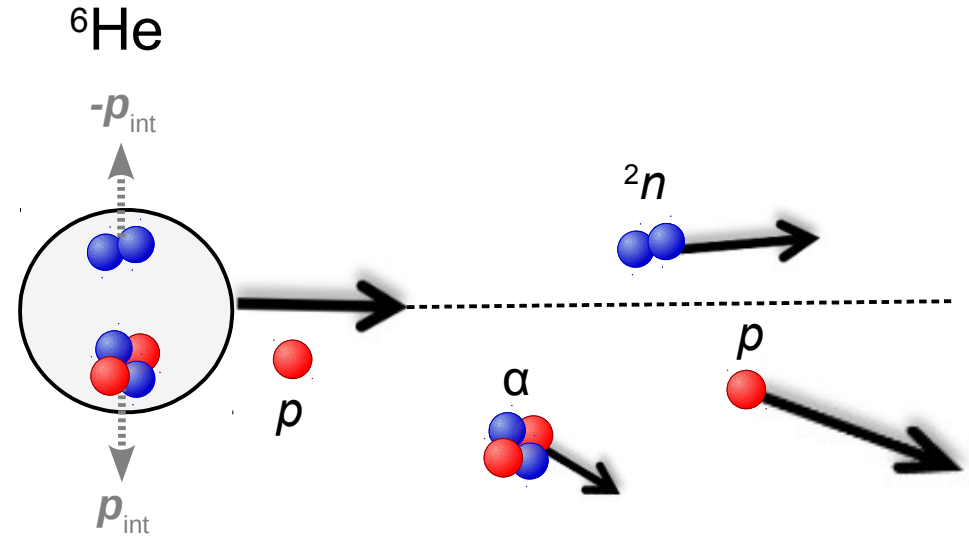
$$P_{{}^6\text{He}} + P_{p(\text{tgt})} = P_p + P_\alpha + P_{2n}$$

$$P_{\text{miss}} = P_{{}^6\text{He}} + P_{p(\text{tgt})} - P_p - P_\alpha$$

$$E_{2n} = M_{\text{miss}} - 2m_n$$

Intrinsic momentum of  $\alpha$ :

$$\mathbf{p}_{\text{int}} = -\mathbf{p}_{\text{miss}}$$



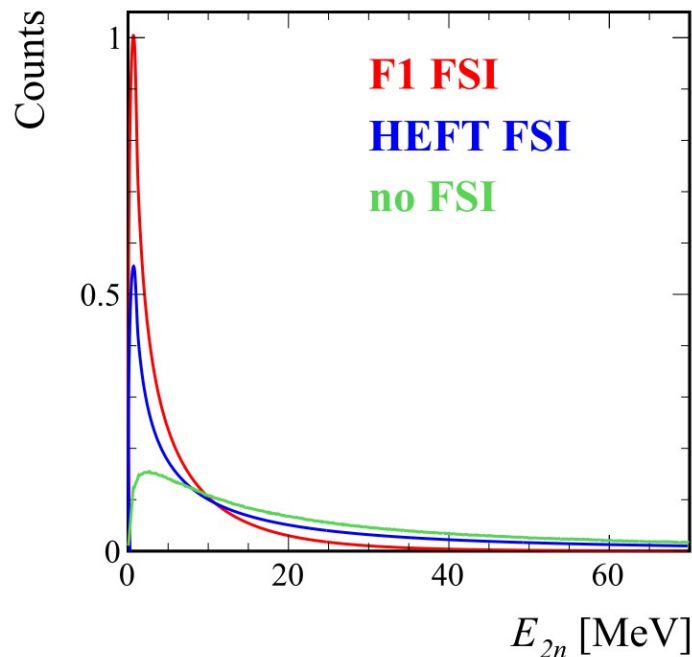


# QFS Simulation

## What's needed?

- $E_{2n}$  distribution [M. Göbel]

- Intrinsic momentum of  $\alpha$ : Gaussian with FWHM = 75 MeV/c [Chulkov et al., NPA 759 (2005)]
- Measured  $p$ - $\alpha$  cross-section [V. Comparat et al., PRC (1975)]



**F1 FSI:** 3-body cluster model

**HEFT FSI:** Model inspired by Halo Effective Field Theory

**No FSI:** Model inspired by Halo Effective Field Theory without taking into account  $nn$  FSI

# QFS Simulation

- 1** Generate QFS  ${}^6\text{He}(p,p\alpha)$  events
- 2 Run through full detector simulation
- 3 Smear simulated data by internal resolutions
- 4 Analyze same way as experimental data

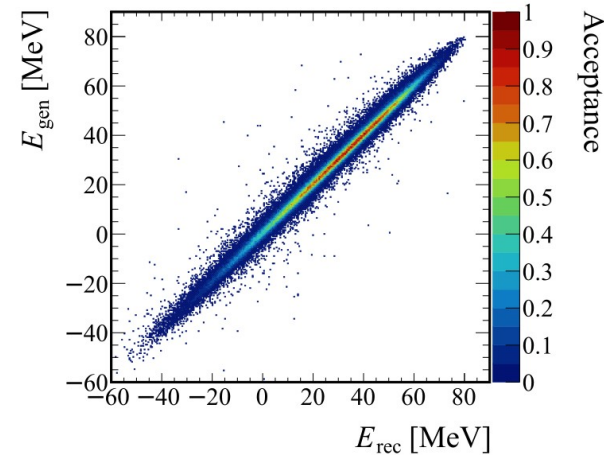
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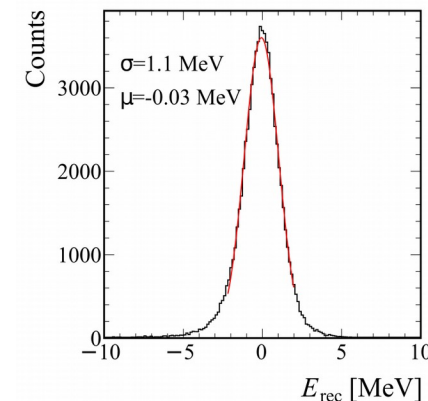
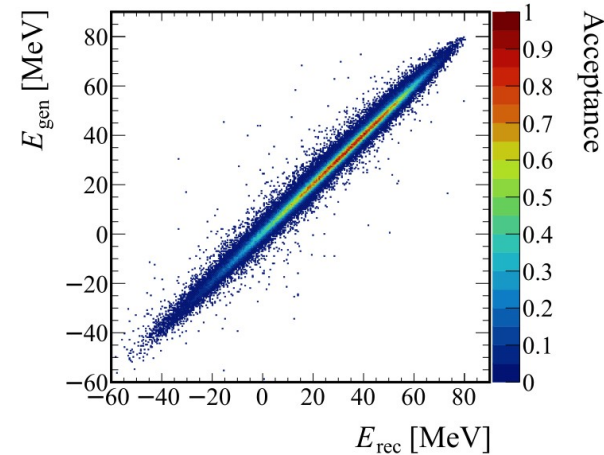
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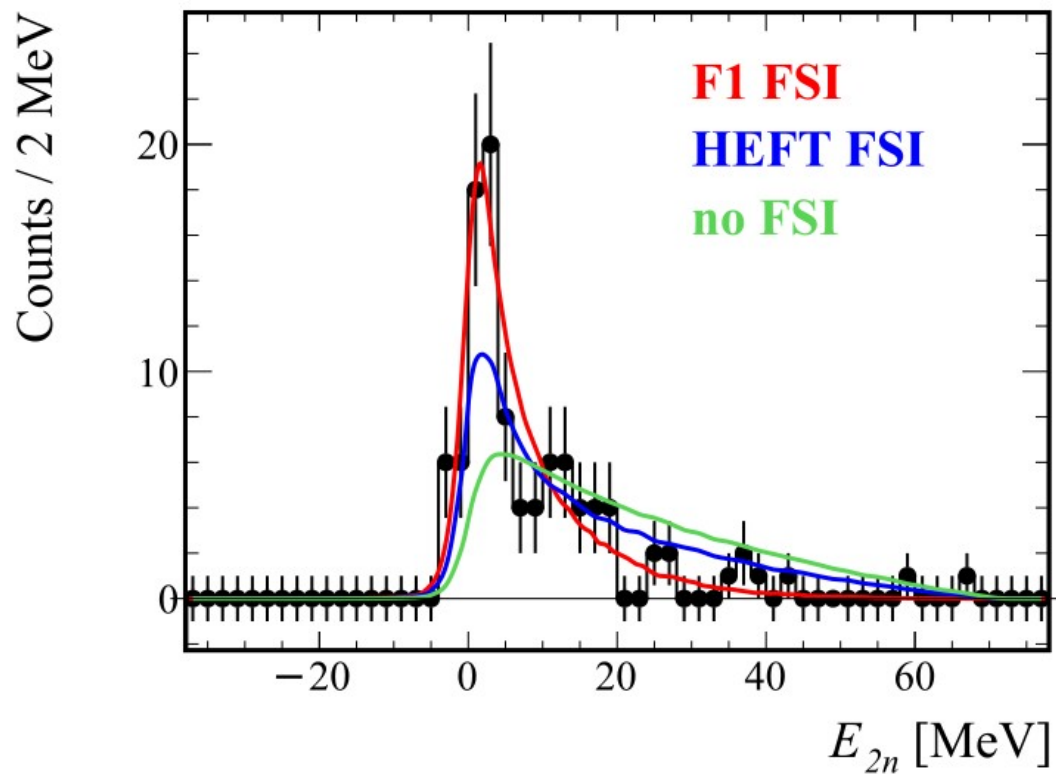


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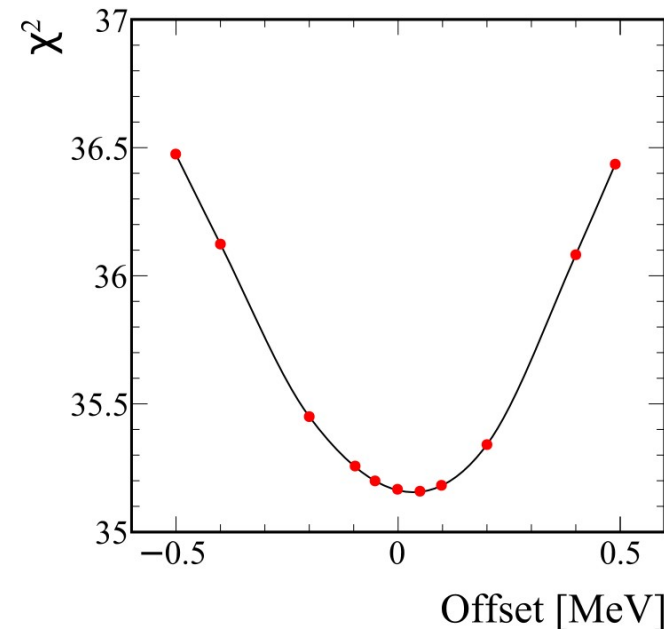
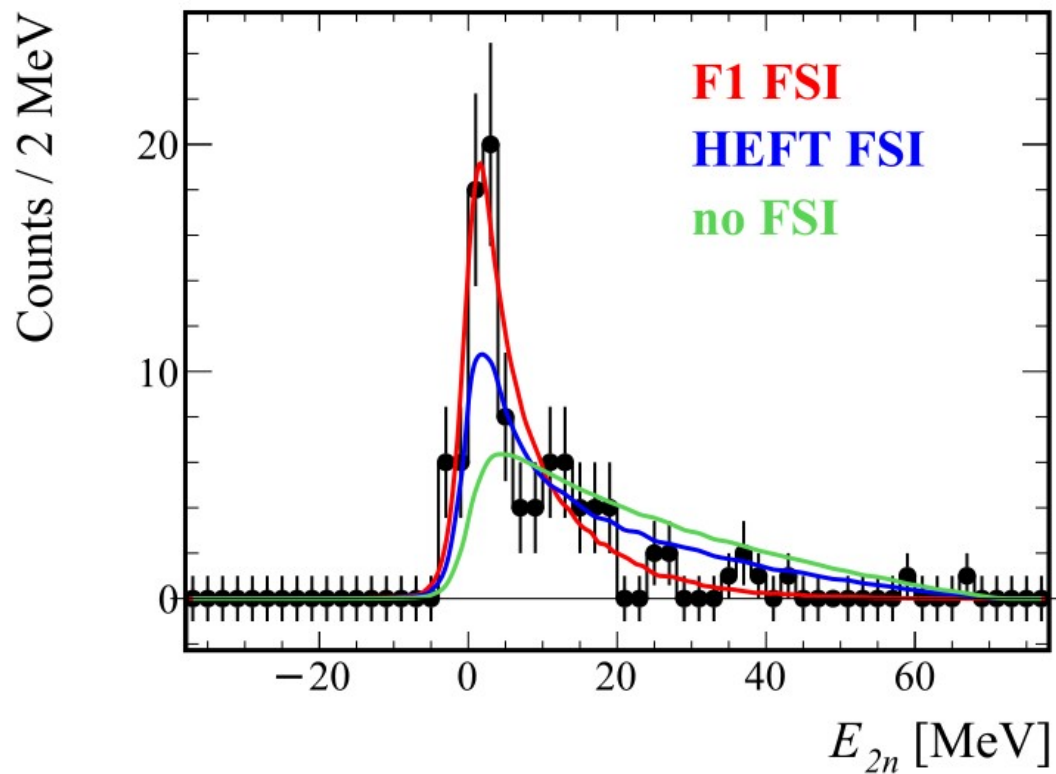


# Missing-mass spectrum



\* Normalized to the total number of measured events

# Missing-mass spectrum

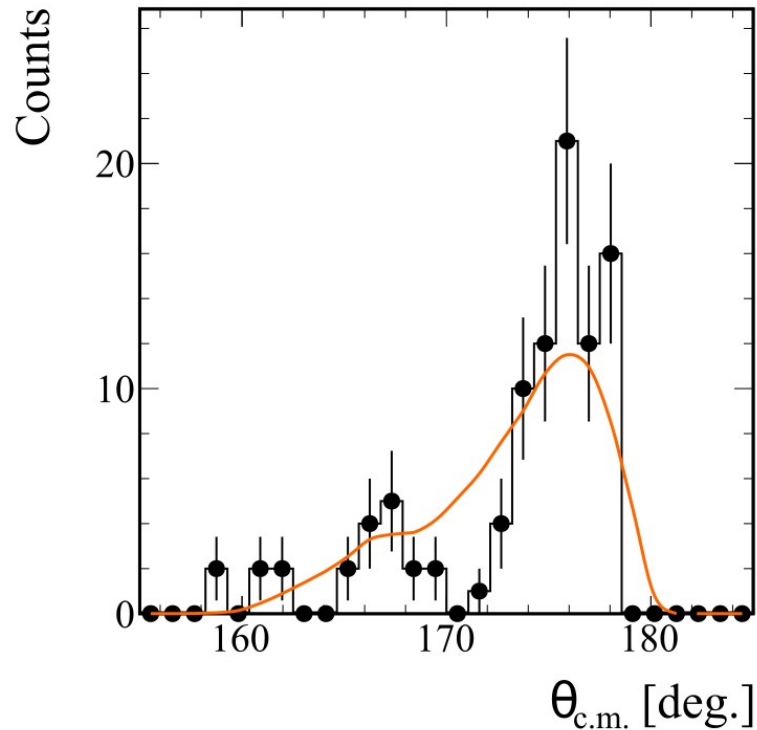


► Systematic uncertainty 0.4 MeV

\* Normalized to the total number of measured events

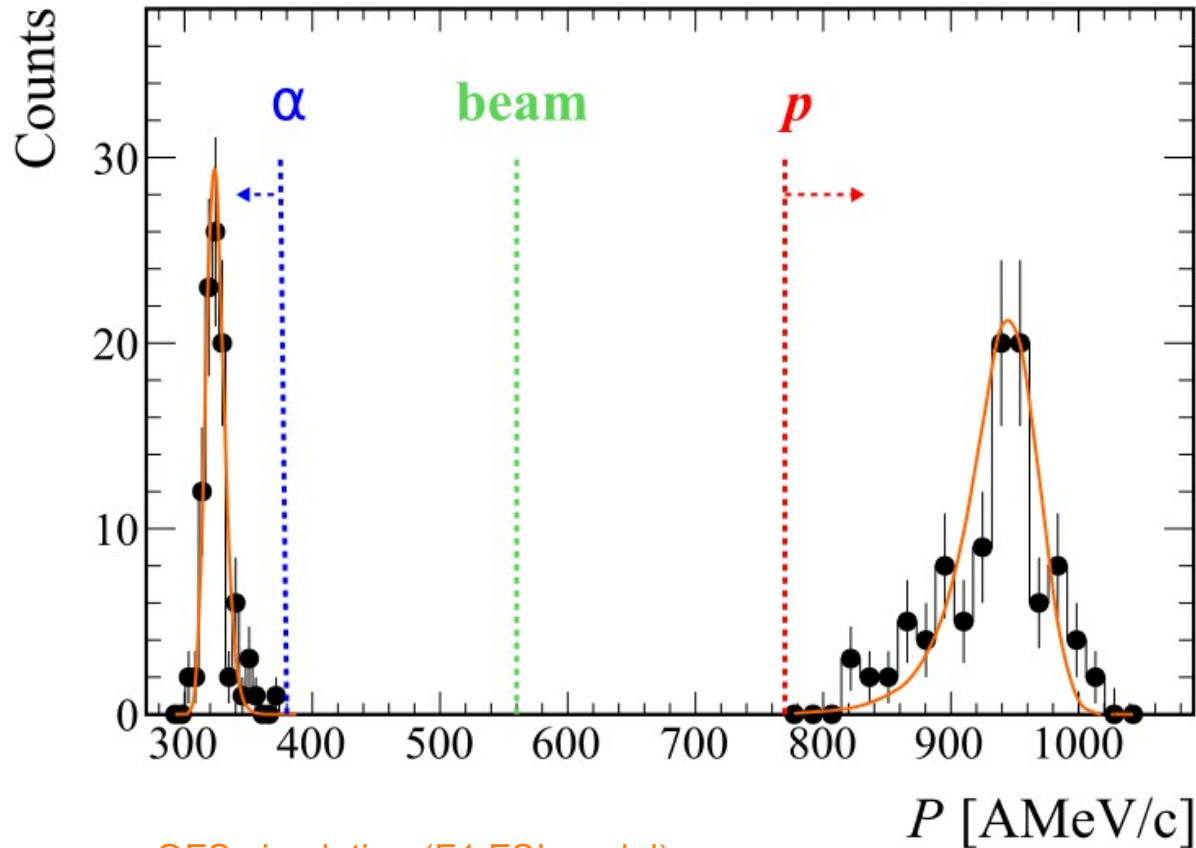
# c.m. angle

$p$ - $\alpha$  scattering at large c.m. angle to minimize FSI between charged particles and neutrons

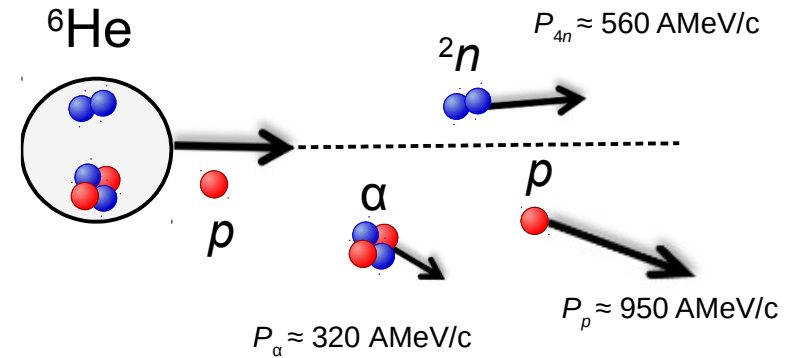


QFS simulation (F1 FSI model)

# Momentum separation

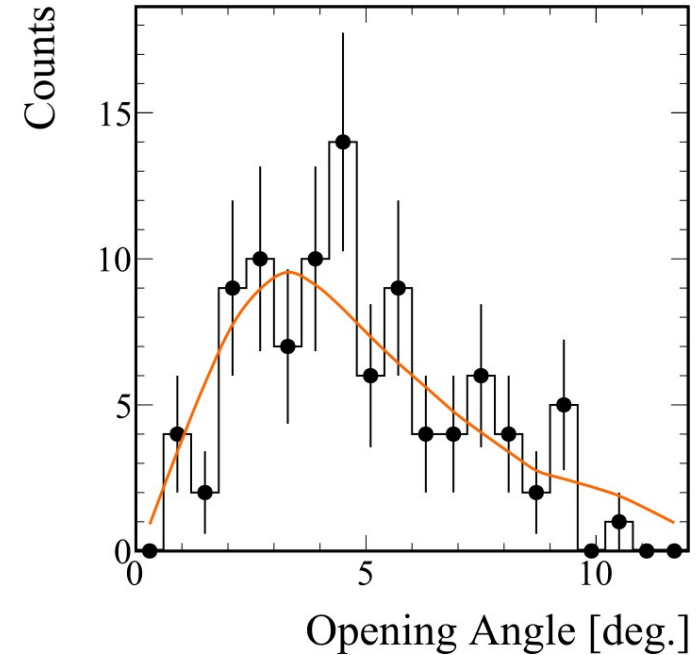
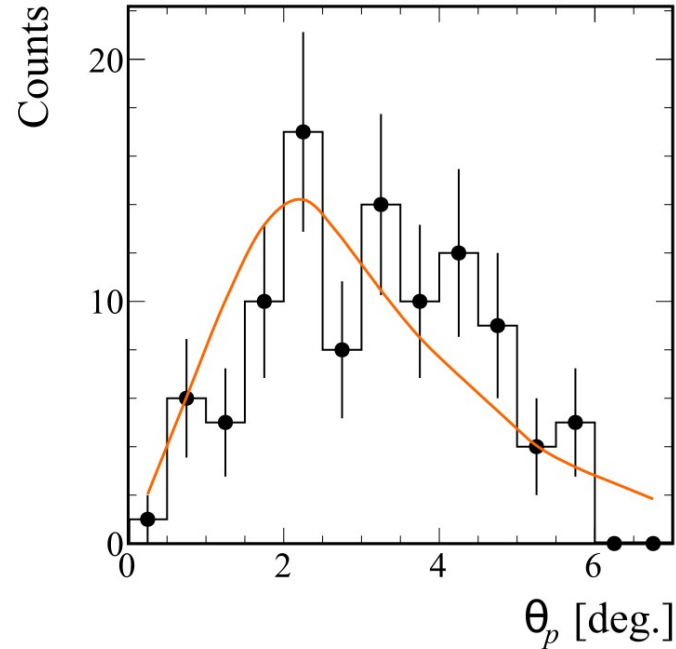
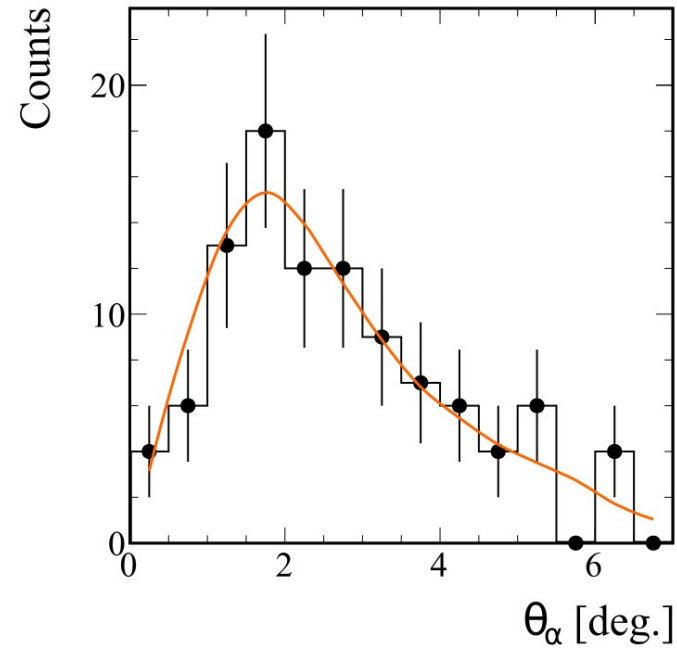


QFS simulation (F1 FSI model)

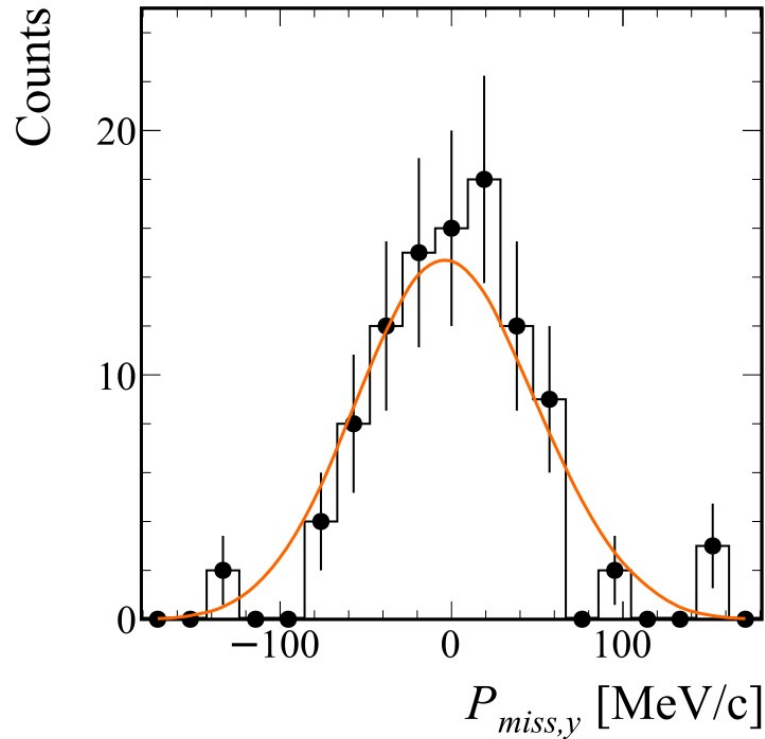




# Angular distributions



# Intrinsic momentum of $\alpha$



$$\mathbf{p}_{int} = -\mathbf{p}_{miss}$$

→ Consistent with a Gaussian distribution,  
FWHM = 75 MeV/c, used as an input  
[Chulkov et al., NPA 759 (2005)]

# Summary

- Good agreement for our benchmark  ${}^6\text{He}(p,p\alpha){}^2n$  reaction: missing-mass spectrum and observed QFS kinematical characteristics  $\longrightarrow$  verify calibrations and analysis procedures
- Analysis under review by the experts of the SAMURAI collaboration

SAMURAI19 Analysis Note: Investigation of the  $4n$  system using  
 $(p, p^4\text{He})$  quasi-free scattering with a 156 AMeV  ${}^8\text{He}$  beam

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<sup>2</sup>GSI Helmholtzzentrum für Schwerionenforschung GmbH, 64291 Darmstadt, Germany

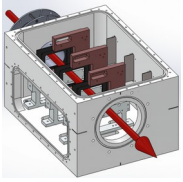
<sup>3</sup>Helmholtz Forschungsakademie Hessen für FAIR, 64289 Darmstadt, Germany

March 11, 2021

***Thank you !***

- **Next step:** 'Blind' analysis for  ${}^8\text{He}(p,p\alpha){}^4n$





# Vertex Resolution

## Empty target runs

